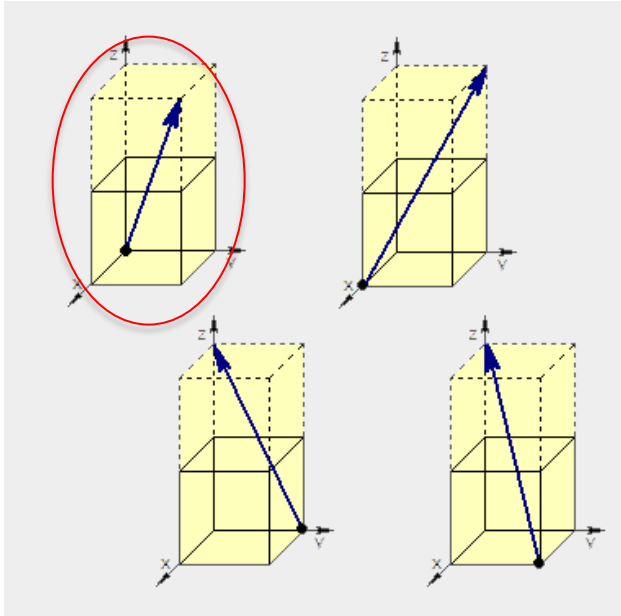


ChE-403 Problem Set 2.1

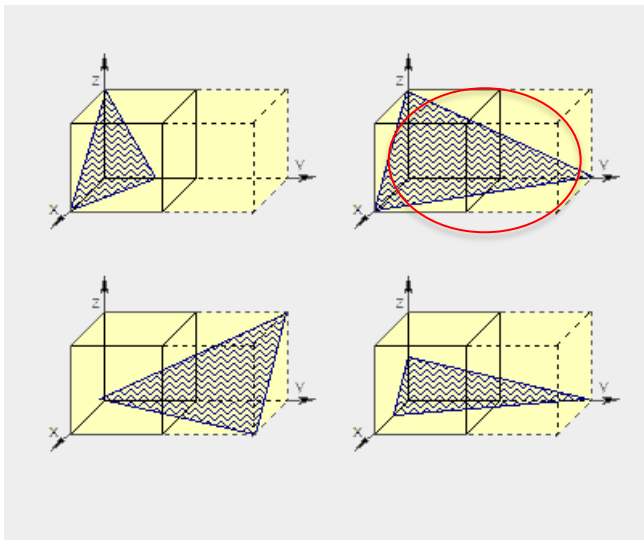
Week 5

Problem 1

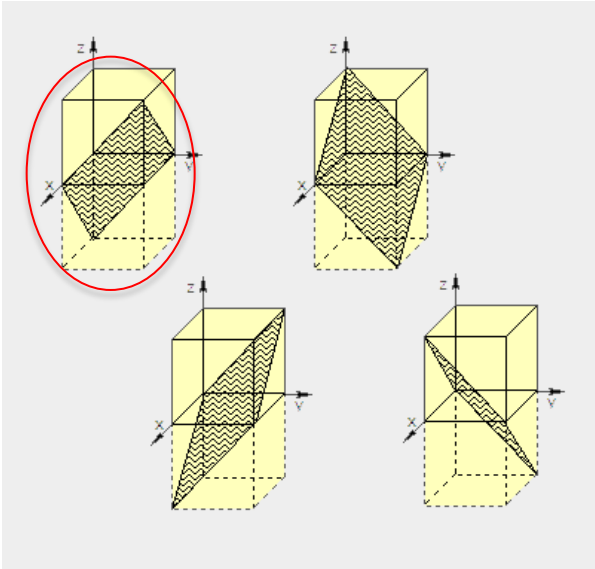
Which is the $[1,1,2]$ direction?



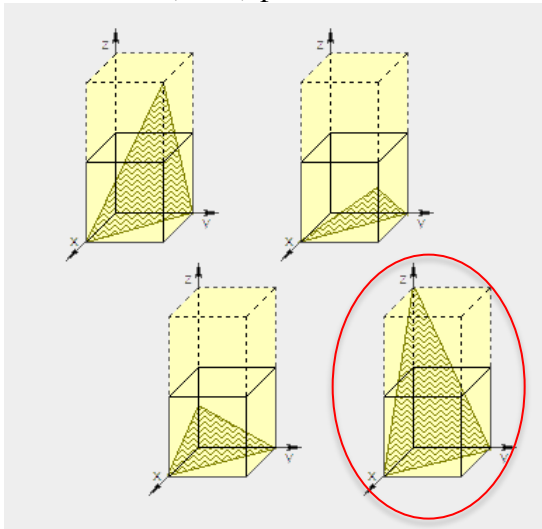
Which is the $(2,1,2)$ plane?



Which is the $(1,1,-1)$ (usually written as $(1,1,\bar{1})$) plane?



Which is the $(2,2,1)$ plane?

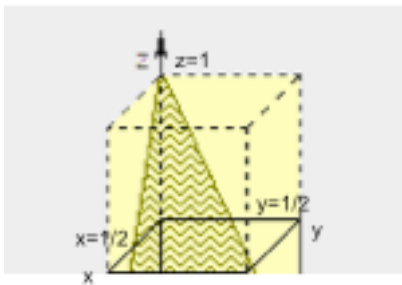


Problem 2

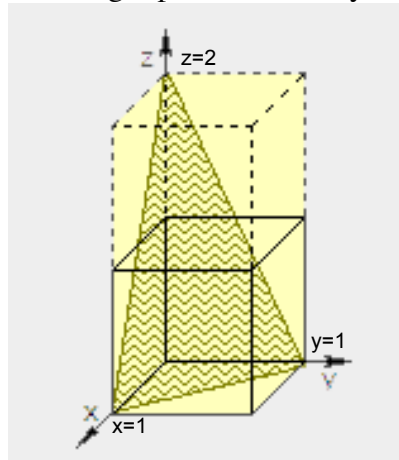
2.1 Can you draw a $(1,2,1)$ plane both in a single $(1,1,1)$ box and as a larger plane that only has unity coordinates (see example below)?

Example: for a plane $(2,2,1)$ we have:

Single $(1,1,1)$ box:



Larger plane with unity coordinates:

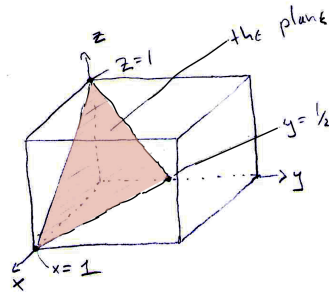


2.2 What would the larger plane (what is shown above to the right) with only unity coordinates be for a $(2,1,3)$ vector? (Don't draw it, just give the coordinates)

Solution:

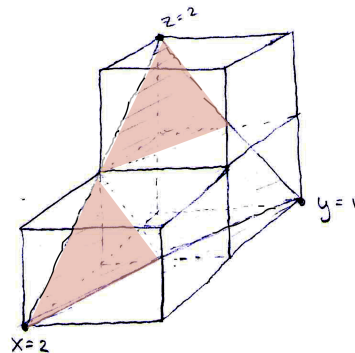
2.1.

2.1



for a $(1, 2, 1)$
index we will cut the
box in: $(1, \frac{1}{2}, 1)$

If we have a surface that cuts the x, y, z planes in $1, \frac{1}{2}, 1$ then it will also form a surface that will connect at coordinates $(2, 1, 2)$:



Note that in the second drawing we show the same unit box planes from the first drawing in the larger surface.

2.2. In the unit box, this would form a surface that would cut the x, y, z planes at $(\frac{1}{2}, 1, \frac{1}{3})$. To make this whole we have to multiply by $3 \times 2 = 6$. The surface would connect the following coordinates: $(3, 6, 2)$

Problem 3

Determine the Miller Indices of a plane which is parallel to the x-axis and cuts the y axis at 2 and the z-axis at 1/2?

Solution:

3.1. The intercepts are:

$$x=\infty \quad y=2 \quad z=1/2$$

The inverse of that is:

$$1/x=0 \quad y=1/2 \quad z=2$$

Miller indexes cannot have fractions, so we write:

$$(0,1,4)$$